

- He offers two considerations for his claim. The most convincing one (roughly as developed by McGlynn 2014):
 - Assume that K is not necessary for E and that JTB suffices
 - Assume that we are watching a video of a series of balls drawn from a bag, which, as a matter of fact, will all prove to be red
 - Assume that we have witnessed enough red draws n to be justified in believing the (true) claim “ball $n + 1$ will be red”
 - We have a JTB that “ball $n + 1$ will be red” and so can add it to our evidence
 - We now have even stronger grounds to believe “ball $n + 2$ will be red”, which we can also add to our evidence
 - ...

A “chain reaction” argument for $E \subseteq K$? (ctd)

- Continuing the argument:
 - ...
 - We now have yet even stronger grounds to believe “ball $n + 3$ will be red”, etc.
 - It seems that we set off a “chain reaction” of ever stronger grounds
 - But it seems that our grounds, do not get stronger as we move forward: if anything, they get *weaker*!
 - Hence E cannot merely be *JTB*
- See McGlynn (2014) Chs 3 & 4 for more on this and other approaches

Defining belief in terms of knowledge?

- Common line:
 - Belief is, by definition, a state that “aims at” knowledge
- Similarly, one could suggest:
 - Thirst is, by definition, a state that aims at hydration
 - Desire is, by definition, a state that aims at satisfaction
 - Anger is, by definition, a state that aims at retribution
- Why believe this? Because it would explain the plausibility of the following implication for rational agents:
 - KNOWLEDGE NORM FOR BELIEF:** $B(P) \Rightarrow B(K(P))$ (Huemer 2007)
 - (If S believes that P , then S believes that she knows that P)
 - (“ $B(P)$ ” = “ S believes that P ”; “ $K(P)$ ” = “ S knows that P ”)

The ‘knowledge norm’ for belief

- In support of KNOWLEDGE NORM: **Moore-paradoxical** beliefs, such as
 - (a) ‘It’s raining, but I don’t know that it is.’
 - These do not seem rational to believe, *even* when true
 - But *why* so?!?
 - KNOWLEDGE NORM FOR BELIEF can explain this, using:
 - (CLOSURE UNDER) CONJUNCTION: $B(P)$ and $B(Q) \Rightarrow B(P \& Q)$
 - CONSISTENCY: $\neg B(P \& \neg P)$
- plus:
- DISTRIBUTION OVER CONJUNCTION: $B(P \& Q) \Rightarrow B(P)$ and $B(Q)$

The ‘knowledge norm’ for belief

- Argument by reductio ad absurdum:
 - (1) $B(P \& \neg K(P))$ (M-paradoxical belief, assumed for reductio)
 - (2) $B(\neg K(P))$ (from (1) and DISTRIBUTION)
 - (3) $B(P)$ (from (1) and DISTRIBUTION)
 - (4) $B(K(P))$ (from (3) and KNOWLEDGE NORM)
 - (5) $B(K(P) \& \neg K(P))$ (from (2), (4) and CONJUNCTION)
 - (6) $\neg B(K(P) \& \neg K(P))$ (from CONSISTENCY)

- (7) $\neg B(P \& \neg K(P))$ (by reductio from (5) and (6))

References

- Huemer, M. 2007: Moore's Paradox and the Norm of Belief. In Susana Nuccetelli & Gary Seay (eds.), *Themes From G. E. Moore: New Essays in Epistemology and Ethics*. Clarendon Press.
- McGlynn, A. 2014: *Knowledge First?* Palgrave Macmillan.
- Williamson, T. 2000. *Knowledge and its Limits*. Oxford: Oxford University Press.